use rounding to check answers to calculation sand determine, in the context of a problem, levels of accuracy	recognise and use square numbers and cube numbers, and the notation for squared (?) and cubed (?)	add and subtract fractions with the same denorminator and denorminators that are multiples of the same	solve problems involving number up to three s decima places	use all four operations to solve problems involving measure [for example, length, mass, volume, money] using decimal notation, including scaling.	complete, read and interpret information in tables, including timetables
add and subtract numbers mentally with increasing h large numbers	multiply and divide whole numbers and those involving decimals by 10, 100 and 1,000	recognise mixed numbers and improper fractions and convert from one form to the other and write mathematical stratements >1 as a mixed number[eg 2/3+3/5-6/4]	read, write, order and compare numbers with up to three decrimal place	solve problems involving converting between units of time	solve comparison, sum and difference problems using information presented in a line graph
add and subtract whole numbers with more than 4 digits, including using formal written methods (columnar addition and subtraction)	divide numbers up to 4 digits by a one-digit number using the formal written method of short statistical and interpret remainders appropriately for the	identify, name and write equivalent fractions of a given fraction, represented visually, including tenths and hun dredths	round decimals with two decimal places to the nearest whole number and to one decimal place	estimate volume [for example, using 1 cm² blocks to build cuboids (in cluding are cubes)] and capacity [for example, using water]	identify, describe and represent the position of a shape following a reflection or translation, using the appropriate language, and know that the shape has not changed
read Roman numerals to 1000 (M) and recognise years written in Roman numerals	multipk and divide numbers mentally, ndrawing upon known fact:	compare and order fraction s whose denominators are all multiples of the same number	tics	calculate and compare the area (from or extrangles (including bayuares), and including centimetres (cm²) and estimate the area of irregular shapes	distinguish between regular an dirregular polygons based on reasoning about equal sides and angles
solve number problems and practical problems that involve all of the above	multiply numbers up to 4 digits by a one or two digit number using a formal written method, mcluding long multiplicationdrawing upon known for two-digit numbers	3e 5 3	hema	measure and calculate the perimeter of composite rectilinear shapes in centimetres and metres	use the properties of rectangles to deduce related facts and find missing lengths and angles
round any number up to 1 000 000 to the nearest 10, 100, 1000, 10 000 and 100 000	exablish whether a number up to 100 is prime and recall prime numbers up to 19	Stag	Mat	understand and use approximate equivalences between metric units and common imperial units such as inches, pounds and pints	identify: - argles at a point and one whole turn (total 360°) - argles at a point on a straight line and % a turn (total 180°) - other multiples of 90°
interpret negative numbers in context, count forwards and bækwards with positive and negative whole numbers, in cluding through zero	kn ow and use the vocabulary of prime numbers, prime factors and composite (nonprime) numbers	solve problems involving rnuitplication and division, in cluding scaling by simple fractions and problems involving simple rates	recognise and use thousandths and relate them to tenths, hundredths and decimal equivalents	problems convert between different require units of metric measure stage and (for example, kilometre lents of and metre; centimetre with a and metre; centimetre armultiple and millimetre; gram and 25. millilitre).	draw given angles, and measure them in degrees (°)
countforwards or backwards in steps of powers of 10 for any given number up to 1000 000	identify multiples and factors, including finding all factor pairs of an umber, and common factors of 2 numbers	solve problems involving addition, subtraction, multiplication and division and a combination of these including under standing the meaning of the equals sign	read and write decimal numbers as fractions [for example, $0.71 = v_{yoo}$]	which require units of metric measure kn owing percentage and (for example, kilometre decimal equivalents of \$\lambda_{\infty} \kappa_{\infty}	know angles are measured in degrees: estimate and compare acute, obtuse and reflex angles
read, write, order and compare numbers to at least 1000 000 and determine the value of each digit	solve addition and subtraction multi-step problems in contexts, deciding which operations and methods to use and why	solve problems involving multiplication and division, including using their knowledge of factors and multiples, squares and cubes	multiply proper fractions and mixed numbers by whole numbers, supported by materials and diagrams	recognise the per cent symbol (%) and undersand that per cent relates to 'number of parts per hundred', and write percentages as a fraction with denominator 100, and as a decimal	identify 3-D shapes, including cubes and other cuboids, from 2-D representations

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1	a)	Write these numbers using numerals:	
	i)	Four hundred and two thousand, two hundred and sixty:	
	ii)	Four hundred and two thousand, two hundred and six:	
	iii)	Four hundred and two thousand, two hundred and sixteen:	
	b)	Write these numbers in words:	
	i)	343 817:	
	ii)	300 817:	
	iii)	300 007:	
			(NPV1, 6 marks,
2		Find the next two numbers:	
	a)	70 000, 80 000, 90 000,, ,	
	b)	2700, 2800, 2900,,	
	c)	210,, 180, 170	
			(NPV2, 3 marks)



St	tage	5: Got It?		Number and place value
3	a)	5°C warmer than 2°C is	°C	
	b)	3°C colder than 4°C is	°C	
	c)	4°C colder than 3°C is	°C	
	d)	5°C warmer than -2°C is	°C	
	e)	4°C colder than -2°C is	°C	
	f)	5°C warmer than -8°C is	°C	
				(NPV3, 6 marks)
4		Round 567 457 to:		567 457
	a)	the nearest 10:		
	b)	the nearest 100:		
	c)	the nearest 1000:		
	d)	the nearest 10 000:		
	e)	the nearest 100 000:		(NPV4, 5 marks)
5		Alesha thinks of a whole nu	ımber.	

When rounded to the nearest 10 000, the number is 990 000.

a) What is the largest possible value of Alesha's number?

b) What is the smallest possible value of Alesha's number?

(NPV5, 2 marks)



Stage 5: Got It?

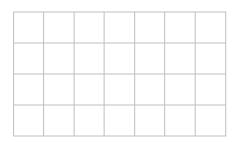
Number and place value

6 a) Convert the Arabic numbers into Roman Numerals:

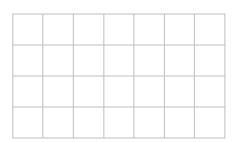
b) Convert the Roman Numerals into Arabic numbers:

(NPV6, 8 marks)

- 7 Calculate
- a) 22 167 + 2874

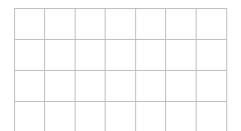


c) 32 214 - 7148

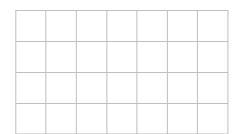


.....

b) 314 769 + 267 267



d) 523 334 – 367 815



......(AS1, 8 marks)

8 a) Fred calculates the answer to 7000 – 1765 as shown:

Does Fred's method give the correct answer?

Explain Fred's method

b) Tracey says 41 124 – 20 463 = 21 341 because:

"41 000 - 20 000 = 21 000
$$400 - 100 = 300$$

$$60 - 20 = 40$$

$$4 - 3 = 1$$
so 41 124 - 20 463 = 21 341"

Do you agree with Tracey?	
Explain your answer	
	(AS2, 4 marks)
Karen is given the calculation 11 879 – 3 998.	
She estimates that the answer is 8000.	
Do you agree with Karen? Explain your answer.	
	(AS3, 2 marks)



9

10 a) Pete is trying to solve the problem:

24 567 people were at the match last week and there are 2487 more this week.

How many more people need to attend to bring the total to the club's target of

30 000 people?

i) Pete draws a diagram to help.

Place a (✓) by the correct diagram.

30 000					
24 567	2487	Extra people			

Extra people					
30 000	24 567	2487			

24 567				
30 000	2487	Extra people		

ii) Solve the problem

..... people

b) Find the missing digits in this calculation

(AS4, 5 marks)



11	a)	Bob's age is a multiple of 5 and a one less than a multiple of 6.	
		How old is Bob?	
	b)	Find all the factors of 36	
	c)	Find a common factor of 36 and 12.	
			(MD1, 5 marks)
12		Pat thinks that 9 is a prime number	
		John thinks that 9 is a composite number.	
		Who is correct? Explain your answer.	
			(MD2, 2 marks)
13		Write down a prime number between 80 and 90	
			(MD3, 1 mark

- 14 Calculate:
- a) 60×4

c) 102 ÷ 3

.....

.....

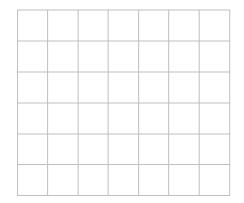
b) 120 × 80

d) 1200 ÷ 40

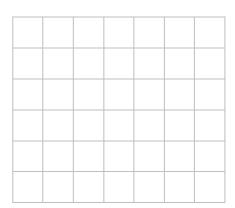
.....

(MD4, 8 marks)

- 15 Calculate
- **a)** 67 × 47



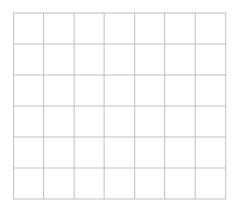
c) 5476 × 7



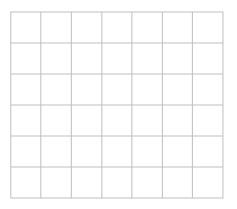
.....

.....

b) 476 × 67



d) 2345 × 67



.....

(MD5, 10 marks)

- **16** Find the value of Δ in each of these statements:
 - a) $2.3 \times 10 = \Delta$

e) $\Delta \div 10 = 47$

b) $\Delta \times 10 = 16$

- **f)** $230 \div 100 = \Delta$
- Δ =

c) $\Delta \times 100 = 110$

g) $\Delta \div 1000 = 2.5$

d) $1.2 \times 1000 = \Delta$

- **h)** $1.8 \times \Delta = 180$
- Δ =

Δ =

 $\Delta = \dots (MD6, 8 \text{ marks})$

17 a) Jess thinks that $5^2 = 25$

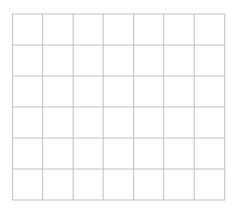
Do you agree with Jess?

Explain your answer

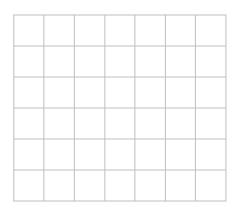
- b) Calculate
 - i) 4³ =
- ii) 3 squared =
 - iii) 5 cubed =

(MD7, 5 marks)

- 18 Calculate
- **a)** 477 ÷ 9



c) 1730 ÷ 8



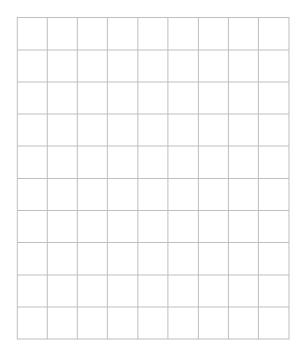
......

..... (MD8, 4 marks)

19 Egg boxes hold 6 eggs.

Kate collects 250 eggs.

How many boxes can she fill?



......

(MD9, 3 marks)

Find the value of Δ : 20

$$6789 - 4321 = \Delta \div 4$$

Δ =

(MD10, 3 marks)



21 A football pitch is 60 metres wide and 100 metres long.

A scale plan of it is drawn with a width of 3 centimetres

What is the length of the scale drawing?.

.....

(MD11, 2 marks)

- 22 Complete the statements using the symbols <, > or =
 - a) $\frac{3}{6}$ $\frac{1}{2}$

d) $\frac{3}{10}$ $\frac{1}{5}$

b) $\frac{2}{5}$ $\frac{4}{5}$

e) $\frac{1}{2}$ $\frac{5}{8}$

c) $\frac{5}{7}$ $\frac{3}{7}$

f) $\frac{3}{9}$ $\frac{1}{3}$

(F1, 6 marks)

Which fraction is the odd one out?

Explain your answer.

$$\frac{5}{10}$$

$$\frac{1}{2}$$

$$\frac{25}{100}$$

$$\frac{4}{8}$$

(F2, 2 marks)

24 Complete the following statements:

a)
$$1\frac{1}{8} = \frac{9}{}$$

d)
$$\frac{1}{4} = 3\frac{3}{4}$$

b)
$$\frac{6}{5} = 1 - \frac{1}{5}$$

e)
$$2\frac{1}{5} = -$$

c)
$$\frac{7}{4} = \frac{1}{4}$$

f)
$$\frac{11}{3} = \frac{11}{3}$$

(F3, 10 marks)



25 Calculate:

a)
$$\frac{1}{2} + \frac{1}{4} =$$

c)
$$\frac{6}{7} - \frac{1}{14} =$$

b)
$$\frac{4}{5} + \frac{3}{10} =$$

d)
$$\frac{1}{2} + \frac{1}{4} - \frac{1}{8} =$$

(F4, 10 marks)

26 Calculate, writing the answer in its simplest form:

a)
$$\frac{1}{4} \times 7 =$$

b)
$$\frac{2}{3} \times 6 =$$

c)
$$3\frac{1}{4} \times 4 =$$

(F5, 6 marks)

Write the decimal equivalent of:

a)
$$\frac{9}{100} =$$

b)
$$\frac{19}{100} =$$

c)
$$\frac{91}{100} =$$

(F6, 3 marks)



- Write the value of the symbols:
 - a) $\frac{9}{4} = 0.009$

.... =

b) $0.19 = \frac{1}{10} + \frac{*}{100}$

* =

c) $0.273 = \frac{\Box}{10} + \frac{\Delta}{100} + \frac{\nabla}{\blacksquare}$

- **29 a)** Round:
 - i) 1.34 to the nearest whole number:
 - ii) 4.77 to the nearest whole number:
 - iii) 0.78 to the nearest whole number:
 - iv) 14.55 to the nearest whole number:
 - **b)** Round:
 - i) 1.34 to one decimal place:
 - ii) 4.77 to one decimal place:
 - iii) 0.78 to one decimal place:
 - iv) 14.55 to one decimal place:

(F8, 8 marks)

30 Place these numbers in order, from smallest to largest:

0.321

0.32

1.231

0.3

1.321

1.23

1.32

(F9, 3 marks)

The world record for the men's 100m set by Usain Bolt on 2009 was 9.58 seconds.

If this time was rounded to two decimal places, what could have been the fastest time to three decimal places?

.....

(F10, 1 mark)

32 a) Complete the following statements about percentages and fractions:

iv)
$$\frac{7}{100} = \dots$$

b) Complete the following statements involving percentages and decimals:

(F11, 8 marks)



Which is bigger?

Explain your answer

A 50% of £60

B 20% of £200

C 25% of £140

D 75% of £48

(F12, 3 marks)



34 Are these statements true (T) or false (F)?

a) 2.5 km = 250 m

d) 2500 g = 2.5 kg

b) 2.5 m = 250 cm

e) 2.5 litres = 250 ml

c) 250 mm = 2.5 cm

f) 0.8 litres = 800 ml

(M1, 6 marks)

35 Circle the correct answer

a) 1kg is approximately the same as:

1 lb

2 lb

5 lb

10 lb

b) 1 inch is approximately the same as:

1 cm

2.5 cm

5 cm

10 cm

10 pints

c) 1 litre is approximately the same as:

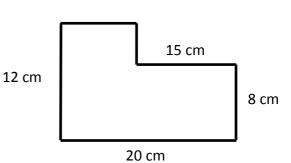
1 pint

2 pints

5 pints

(M2, 3 marks)

36 Calculate the perimeter of this shape:



..... cm

(M3, 2 marks)

Which has the greatest area?

Tick the one that does

A
Square of side 7 m

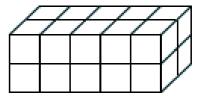
Rectangle 6 m × 8 m

Explain your answer.

(M4, 2 marks)

The cuboid is made of 1cm³ cubes.

Calculate the volume of the cuboid.



..... cm³ (M5, 1 mark)

39 Jack goes on holiday on Monday 6th April at 10:15 a.m.

He returns home on Wednesday 26th April at 6:30 p.m.

Calculate the duration of his holiday.

...... weeks days hours minutes (M6, 4 marks)

40 A can of paint holds 2.5 litres and costs £9.50.

One can of paints covers 5m².

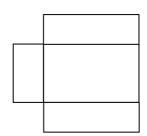
How much does it cost to paint a wall with dimensions 2 metres by 10 metres?

£.....(M7, 4 marks)

- **41** Complete the nets of:
 - a) A cube

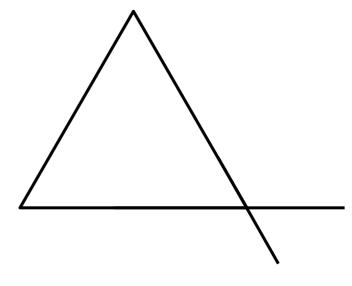






(GPS1, 2 marks)

- 42 Look at the diagram here
 - a) Label an acute angle, A.Estimate the size in degrees
 - **b)** Label an obtuse angle, O Estimate the size in degrees
 - c) Label a reflex angle, REstimate the size in degrees



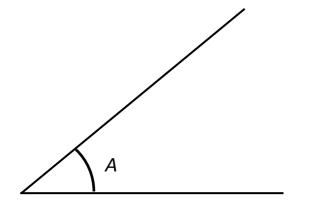
(GPS2, 6 marks)

- 43 a) Draw, and label, an angle measuring:
 - i) 50°

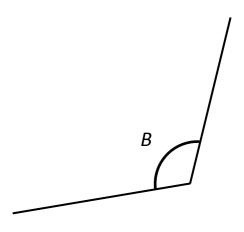
ii) 140°

b) Measure the size of angles A and B, to the nearest degree:

i)



ii)

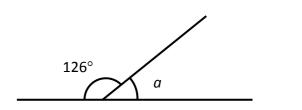


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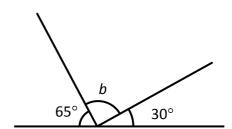
.....° (GPS3, 4 marks)

Find the value of the missing angle in each diagram 44

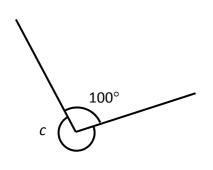
a)



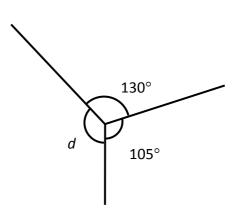
b)



c)



d)



.....° (GPS4, 8 marks)



45		The perimeter of a rectangle is 50 centimetres.
		The width of the rectangle is 12 centimetres.
		Calculate the length of the rectangle.
		cm (GPS5, 2 marks)
46	a)	Name the type of triangle that is regular. Explain your choice.
	b)	Name the type of quadrilateral that is regular. Explain your choice.
	•••••	
		(GPS6, 2 marks)

- 47 Look at the triangle on the grid
 - a) Bob translates the triangle one square to the left and two squares up.

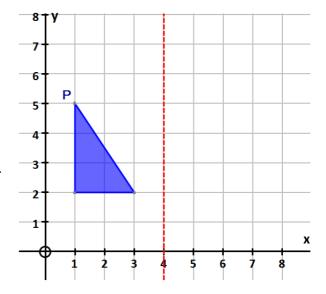
Find the new co-ordinates of the vertices of the triangle.

.....,

.....

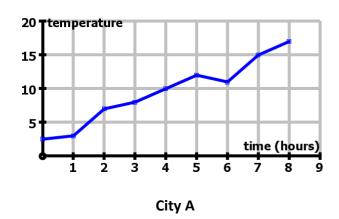


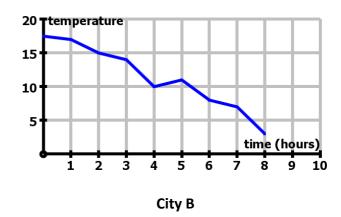
Find the new co-ordinates of vertex P.



(GPD1, 4 marks)

The line graphs show the temperature of two cities starting at midnight.





- a) What is the difference in the temperatures at midnight?
- b) At what time do both cities have the same temperature?
- c) What is the difference in the temperatures at 8 am?
- d) After 6 hours, which city has the greatest change in temperature?

(S1, 5 marks)

Trains from Cheltenham to Malvern are shown in this timetable.

Cheltenham	11:00	11:30	13:15
Ashchurch	11:13		
Twyning	11:25		
Upton	11:37		
Malvern	11:50		

- a) How many trains are there?
- **b)** The time between stops is the same for each train. Complete the timetable.
- c) You are in Cheltenham and you need to get to Malvern by 2pm.
- i) What is the time of the train that you need to catch at Ashchurch?
- ii) How long is the journey of a train?

(S2, 7 marks)



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					1		
Number and Place Value	+ and - NUIV	× and ÷	Fractions, Decimals &	Measure- ment	Properties of Shapes GEON	Position & Direction	Statistics

	NOT GOT IT YET?	
Key topics I need to work on:		
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